Delaying the Coal Twilight: Local Mines, Regulators, and the Energy Transition 14th Toulouse Conference on the Economics of Energy and Climate

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CEMFI

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- 1. Introduction
- 2. Descriptive Evidence
- 3. Model
- 4. Estimation
- 5. Counterfactuals
- 6. Conclusion

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### Coal in the US



Figure 1: Unit cost (\$/MWh)

• In the last decade, coal alternatives became more affordable.

• In the same period, coal plant owners (utilities) invested \$29 billion in upgrades.

Why?

Coal in the US



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Figure 2: Upgrade investment, cumulative (\$Bn)

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### This Paper

Studies the drivers of upgrade and closure decisions on US coal power plants in the 2008-2019 period.

# The Setup

### 1. Coal mining is a major sector in some US states. $\oplus$

- Most mines extract high-sulfur coal.
- Wyoming extracts low-sulfur coal.
- 2. Coal power plant owners (utilities).
  - By 2016 had to invest in sulfur filters, or close.
  - Two filter types: standard and expensive Cost.
    - Standard filters require low-sulfur coal.
    - Expensive filters are compatible with local coal.
- 3. State electricity regulators. 🧲
  - Set the electricity price that plant owners charge.
  - Influence filter investment through the regulated price.



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	Filter	
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### The Setup

# OG&E power plant upgrades could raise rates 15-20%

Published June 12, 2014

Figure 3: Oklahoma, 2014

### NEWS

### PSC gives OK to millions of dollars in upgrades to keep coal-fired power plants open

Figure 5: West Virginia, 2011

# State regulators approve \$430M upgrade to coal plant in Cohasset

Minnesota Power's Cohasset unit will be retrofitted to sharply reduce mercury emissions. Customers can expect a rate increase.

Figure 4: Minnesota, 2012

### New Hampshire utility defends Merrimack scrubber project

O August 14, 2014 ▲ Barry Cassell 🗈 Generation

The executive director of the New Hampshire Public Utilities Commission on Aug. 12 issued a schedule covering the next few weeks of activity in a long-running case at the commission

Figure 6: New Hampshire, 2014

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## Descriptive Exercise

Test whether state regulators promoted expensive filter investment to protect local mines.

- 1. Whether the plant charges a regulated price.
  - $\rightarrow$  Non-regulated plants do not charge a regulated price.
- 2. Whether the regulator is from a mining state.
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Figure 7: US coal-mining states, 2008

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# **Empirical Specification**

• Multinomial logit with four outcomes  $j \in \{ \text{ Standard}, \text{ Expensive}, \text{ Close} \}$ , J = No Filter

$$\log\left(\frac{p_j(\mathbf{x})}{p_J(\mathbf{x})}\right) = \sum_j \beta_{0j} + \sum_j \beta_{1j} \times X_i + \sum_j \beta_{2j} \times m_i + \sum_j \beta_{3j} \times \operatorname{Reg}_i + \sum_j \beta_{4j} \times \operatorname{Reg}_i \times m_i$$

X<sub>i</sub> generator covariates: age, size...

- *m<sub>i</sub>* size of close-by mining sector, **inside state border**.
- · Reg<sub>i</sub> indicator for regulated plants.
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	Dependent variable		
	j = retire	j = standard	j = expensive
Demulated	0.243	1.034*	1.122***
Regulated	(0.349)	(0.590)	(0.372)
Mine Size (Million Ton, 2008)	0.024	0.008	-0.004
	(0.017)	(0.027)	(0.020)
Regulated $\times$ Mine Size	0.044	0.005	0.075**
	(0.030)	(0.045)	(0.033)
		McFadden R2	0.218
		N	707

 $\rightarrow$  +1 million Ton in mining sector increases expensive filter adoption relative probability by 7.7%.

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### Why Do I Need a Model?

### So far...

### Regulated plants from mining states are more likely to invest in expensive filters.

- 1. Establish a link between filter investment and plant retirement decisions.
- 2. Quantify the importance of the local mine protection mechanism.
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Closure Specification

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- \* Dynamic model, infinite horizon. Two state variables:
  - Cost of natural gas, falling over time.
  - Countdown to 2016, filter becomes compulsory.
- Discrete-choice model
  - Remain open or retire.
  - Standard filter or expensive.
- Principal-agent model
  - The regulator (principal) cares about welfare and state mining revenue.
  - The coal plant owner (agent) is a profit maximizer.
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  - As in Rust 1987.



Figure 8: Unit cost (\$/MWh)

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Figure 8: Decomissioning



Figure 9: Filter

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### Figure 9: Plant-owner
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#### Figure 9: Plant-owner



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*p*(*expensive*), *p*(*standard*), *p*(*none*)

The coal plant owner (agent): chooses a filter  $\omega \in \{expensive, standard, none\}$  to maximize profits:

 $\pi(\omega_t) = q(\omega_t) \cdot (p(\omega_t) - \overline{c}(\omega_t)) - F_{\omega_t}$ 





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Regulator Utility Function

Welfare +  $\alpha_1 \cdot Revenue$ 

+ Parameter  $\alpha_1$  weights the importance of local mine revenue for the regulator.

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## Local Mine Protection

How many coal plants would have closed, absent local mine protection?

#### 1. Simulate regulator decisions, original parameters.

2. Simulate decisions without local mine protection

 $\alpha_1 = 0$ 

- 3. Results:
  - =  $\downarrow$  15% regulated plants in mining states.
  - $\downarrow$  0.4% of US CO2 emissions.
  - $^ \downarrow$  1.3% of mining states' CO2 emissions. +



Figure 10: Coal capacity, mining states (GW)

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How would a 100 \$/ Ton carbon tax interact with local mine protection?

- 1. Simulate regulator decisions, original parameters.
- 2. Simulate decisions with tax and no mine protection:

Tax and  $\alpha_1 = 0$ 

- =  $\downarrow$  78% regulated plants in mining states.
- 3. Simulate with tax and mine protection.

Tax and  $\alpha_1 = 2.03$ 

=  $\downarrow$  68% regulated plants in mining states.



Figure 11: Coal capacity, mining states (GW)



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- · I start by testing the existence of the mechanism in the data.
  - Local mining sector drives expensive filter adoption, for regulated plants.
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Intro	Descriptives	Model	Estimation	Counterfactuals	Conclusion

# Thank You!

# pello.aspuru@cemfi.edu.es

Estimation

- MATS is a federal emission standard by the Environmental Protection Agency (EPA).
- · Introduced in 2011, enforced since 2016.
- Establishes sulfur emission threshold S per output unit.

$$\underbrace{\overline{s} \cdot (1 - \omega)}_{\text{Sulfur Emissions}} \leq S$$

- s̄ is the average sulfur concentration of the coal blend.
- $\omega \in \{h, I, 0\}$  is the **efficiency** of the filter, where 1 > h > I > 0
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Estimation

## Coal Mining in the US $% \left( {{{\rm{US}}} \right)$

 $\overline{s} \cdot (1-\omega) \leq S$ 

#### • Plant owners purchase coal from two sources, which determine $\overline{s}$ .

1. Local coal, with high sulfur concentration and little transport cost:  $\uparrow \overline{s}$ .

2. Wyoming coal, with low sulfur concentration high transport cost:  $\downarrow \overline{s}$ .

 $\rightarrow$  **Tradeoff** between low-sulfur Wyoming coal and transportation cost.



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Estimation

#### Coal Blend and Filter Efficiency

 $\overline{s} \cdot (1 - \omega) \leq S$ 

- Standard filters  $\omega = I$  require low-sulfur Wyoming coal  $\downarrow \overline{s}$ . WY Appalachia WY South
- Expensive filters  $\omega = h > l$  are compatible with a higher share of local coal  $\uparrow \overline{s}$ .
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Figure 13: Coal blend - Standard filters

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Estimation

# Model Agents

#### Principal-agent model: the regulator indirectly chooses the filter through the regulated price.

The electricity **regulator** (principal): offers a menu of electricity prices  $p(\omega)$ , depending on filter  $\omega$ .

• The regulator utility function values welfare W(p) and mine revenue  $R(\omega)$ .

$$U = W(p) + \alpha_1 \cdot R(\omega)$$

 $\rightarrow \alpha_1$  weights the mine revenue.

The coal plant owner (agent): chooses a filter  $\omega \in \{h, l\}$ , pays fixed cost  $F_{\omega}$ .

$$\pi = q \cdot (p(\omega) - \overline{c}) - F_{\omega}$$

• More efficient filters are more expensive  $F_h > F_l$ .

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 $U = W(p) + \alpha_1 \cdot R(\omega)$ 

· Expensive filters may decrease or increase welfare.

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Estimation

# Coal Plant Dispatch

- Electricity supply.
  - 1. Coal power plant with unit capacity constraint (1MW) supplies at price p.
  - 2. Competitive fringe of **natural gas plants** sell at price  $p^{gas} \sim \phi(p^{gas}|\mu)$

 $\rightarrow~\mu$  is the centering parameter of the natural gas price distribution.

- Electricity demand.
  - Demand is inelastic  $Q \ge 1$
  - = Consumers only buy from coal plant when  $p \leq p^{gas}$
  - Coal plant expected output is

$$q = Pr(p \leq p^{gas}) = 1 - \Phi(p|\mu)$$

- Welfare contribution:  $W(p) = \int_{p}^{\infty} (p^{gas} p) \cdot \phi(p^{gas} \mid \mu) \cdot dp^{gas}$
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- 1. For plant without filter:  $\max \{ \max_{\omega \in \{h,l,0\}} \{ W(\omega) + \alpha_1 \cdot R(\omega) \}, \Gamma_0 \}$  Four choices.
  - $\Gamma_0$  is the payoff of closing the plant, net of owner compensation.
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# Introducing Dynamics

- \* During 2008-2019, the price of natural gas  $p^{gas} \sim \phi(p^{gas}|\mu)$  fell significantly.
  - $-\,$  Regulators made filter investment and closure decisions in a context of falling  $\mu.$
  - Allow for a dynamic  $\mu_t$ , that changes every year t.
- The regulator problem becomes an infinite-horizon dynamic discrete-choice model:
  - 1. For plant with no filter yet, four-fold choice:

 $V\left(\omega_{t}=0\mid \boldsymbol{\mu_{t}}\right)=\max\left\{\max_{\omega_{t+1}\in\{h,l,0\}}\left\{U\left(0\mid \boldsymbol{\mu_{t}}\right)+\beta E\left[V\left(\omega_{t+1}\mid \boldsymbol{\mu_{t+1}}\right)\right]\right\},\quad U\left(0\mid \boldsymbol{\mu_{t}}\right)+\beta\cdot\Gamma_{0}\right\}\right\}$ 

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Estimation

# Estimation Overview

- Each generator i is characterized by a covariate vector  $\chi_i$ , which includes age, size...
- Regulator utility becomes *i*-specific, includes EV-T1 shock  $\epsilon_{it}^{EVT1}$  with scale parameter  $\sigma$

$$U(\omega_{it}|\chi_i,\mu_{it}) = W(\omega_{it}|\chi_i,\mu_{it}) + \alpha_1 \cdot R(\mu_{it}|\chi_i,\mu_{it}) + \sigma \cdot \epsilon_{it}^{EVT}$$

• The cost of standard and expensive filters becomes *i*-specific, parameterized on generator size.

$$F_i^{\omega=h} = \beta_1 + \beta_2 \cdot Size_i + \epsilon_{it} \qquad F_i^{\omega=l} = \beta_3 + \beta_4 \cdot Size_i + \epsilon_{it}$$

 $= \phi$  unobserved cost parameter: plant adaptation, coal storage systems...

• The generator retirement payoffs become *i*-specific, parameterized on size and age:

$$\Gamma_i = \gamma_2 \cdot Age_i + \gamma_3 \cdot Size_i \qquad \qquad \Gamma_{0i} = \gamma_1 + \Gamma_i$$

ightarrow Six structural parameters to be estimated, remaining parameters eta imputed.

Estimation

# Estimation Overview

- Each generator *i* is characterized by a covariate vector  $\chi_i$ , which includes age, size...
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 $\rightarrow$  Six structural parameters to be estimated, remaining parameters  $\beta$  imputed.

Estimation

# Estimation Results

$$U = W + \alpha_1 \cdot R$$

Parameter	Note	Point-estimates	Standard Errors	
$\alpha_1$	Coal Revenue R <sub>it</sub>	2.03**	0.62	
$\phi$	Standard filter, Unobserved Cost	1581.64**	304.66	
$\gamma_1$	Closure - no filter	5698.67**	645.85	
$\gamma_2$	Closure - age	203.56**	27.17	
$\gamma_3$	Closure - size	9.72**	2.58	
$\sigma$	Scale Parameter	1392.04**	172.22	

ightarrow The average regulator from a mining state values mining revenue twice as much as welfare.

Estimation

# US Coal Mining Sector

	US	West Virginia	Kentucky	Pennsylvania	Illinois	Wyoming
GDP	45.84	7.14	1.9	3.59	2.85	4.3
(\$Billion)	0.18%	7.46%	0.75%	0.39%	0.28%	9.02%
Labor income	21.98	3.35	0.95	2.24	1.12	1.14
(\$Billion)	0.22%	10%	0.93%	0.62%	0.27%	7.4
Employment	291,943	45,633	20,620	35,864	14,809	15,353
(#)	0.17%	6.05%	1.04%	0.57%	0.2%	5.46%

Table 1: The importance of coal mining in selected states, 2021

Estimation

# Public Utilities Commission Election Method



Figure 15: Electricity regulator election method
Estimation

# Coal Electricity Production, Selected Countries



Figure 16: Coal electricity production, US



Figure 17: Coal electricity production, China



Estimation

# CO2 Emissions Accounting

- \* Coal intensity is 900 gr CO2 / KWh.
- Natural Gas intensity is 450 gr CO2 / KWh.
- · Absent local mine protection, the cal capacity is reduced in 10 GW
  - $^-$  Assuming 50% capacity of coal power plants, these produced: 10 GW  $\times$  175  $\times$  24 = 4.2 e4 GWh
- \* Emissions reduction: (900 4500) e6 gr CO2 / GWh  $\times$  4.2 e4 GWh = 18.9 e12 gr CO2.
- · Emission reduction, relative terms
  - US CO2 emissions in 2023 were 5,000 million Ton Co2  $\rightarrow$  0.4% of all US emissions
  - US mining state CO2 emissions in 2022 were 1,892 million Ton Co2  $\rightarrow$  1.1%.
  - US electricity sector CO2 emissions in 2022 were 1,542 million Ton Co2  $\rightarrow$  1.3%.
  - US mining state electricity sector CO2 emissions in 2022 were 675 million Ton Co2  $\rightarrow$  2,96%.

Estimation

# Filter Types in Detail

	Filter efficiency $\omega$	Fixed Cost	
Standard	l = 95%	$F_l pprox 100 M$ \$	
Expensive	h=99%	$F_h pprox 200 M$ \$	

Back

Estimation

## MATS threshold and Coal Types

$$\overline{s} \cdot (1-\omega) \leq S$$

- MATS threshold is S = 0.2 lbs/mm Btu
  - Equivalent to 1.5 SO2 lbs/MWh.
- S is **below** the lowest-sulfur coal  $\overline{s}$ ...
- \* ...which forced the adoption of a filter  $\omega$ .



Figure 18: MATS threshold (lbs/MM Btu).



Estimation

## Related Literature Back

- Coal plant upgrades and phase-out. Gowrisankaran, Langer and Reguant (WP, 2023); Gowrisankaran, Langer and Zhang (WP, 2023); Fowlie (AER, 2010)
  - \* Contribution: protection of local mines as a novel **obstacle** for the energy transition.
  - \* Contribution: A theoretical and structural model on filter investment by regulated plants.
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Estimation

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Estimation

# The (Patchy) Liberalization of the US Electricity Sector Back

- Vertical integration.  $\pi_1 = q_1 \cdot (p_1 \overline{c}_1) F_\omega$
- Liberalization
  - 1. Wholesale market that sets  $p^{mkt}$ ,  $q_2, q_3$ .
  - 2. Plant **divestures**  $\rightarrow$  Plant 3 turns non-regulated.
- Regulated plant profits still depend on p1.

$$\pi_{2} = \underbrace{q_{2} \cdot (p_{2} - \overline{c}_{2})}_{\text{Regulated Plant}} + \underbrace{(Q - q_{2}) \cdot (p_{2} - p^{mkt})}_{\text{Import}} - F_{\omega}$$

• Non-regulated plant profits do not depend on  $p_3$ .

$$\pi_3 = q_3 \cdot (p^{mkt} - \overline{c}_3) - F_\omega \quad \perp \quad p_3$$



Estimation

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Estimation

# US Wholesale Electricity Markets



Figure 19: Wholesale electricity markets

Estimation

# Wyoming Coal Destinations - Appalachia



Figure 20: Wyoming Coal bought by Appalachian states 2008-2019

Estimation

# Wyoming Coal Destinations - South



Figure 21: Wyoming Coal bought by Southern states 2008-2019

The Model

Estimation



- 1. Panel of the universe of coal generators i.
  - Filter efficiency at each year.
  - Annual electricity output.
  - Covariates: size, age, productivity etc.
- 2. Panel of the universe of coal mines.
  - Mine location.
  - Sulfur concentration.
- 3. Mine-plant transactions.
  - Transaction payment.
- 4. Natural gas cost. Plants and Generators



Figure 22: US coal plants, 2008

The Model

Estimation



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Figure 22: US coal plants and mines, 2008

The Model

Estimation



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Figure 22: US coal plants and mines, 2008

Estimation

# Plants and Generators



Figure 23: Differences between plants, boilers and generators

Estimation

# Balance Table

Table 2: Characteristics of coal generators open in 2008, by regulation and state type. Mean values.

	Regulated		Non-regulated	
	Mine-state	Non-mine state	Mine-state	Non-mine state
Age	40.38	40.98	37.84	35.05
Size	326.71	303.77	311.52	222.19
Heat rate	10099.13	10401.98	10015.13	9972.16
Closest mine distance	0.89	2.94	0.87	2.15
Closest mine sulfur	1.83	1.87	2.30	1.29
Distance to Wyoming	18.09	19.31	19.18	26.12
Ν	357	432	154	187

Estimation

# Suggestive Evidence Back



(24.2) Mining states

Figure 24: Share of coal plants with expensive filters

Estimation

# Suggestive Evidence Back



Figure 24: Share of coal plants with expensive filters

Estimation

- 1. Take one power plant location.
- 2. Take the mines within the plant's state.
- 3. Draw a circle around the mine.
  - Median distance of mine-plant transactions.
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Estimation

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Estimation

# Results - Mine State Indicator

$$\log\left(\frac{p_j(\mathbf{x})}{p_J(\mathbf{x})}\right) = \sum_j \beta_{0j} + \sum_j \beta_{1j} \times X_i + \sum_j \beta_{2j} \times m_i + \sum_j \beta_{3j} \times \operatorname{Reg}_i + \sum_j \beta_{4j} \times \operatorname{Reg}_i \times m_i$$

	j = retire	j = standard	j = expensive
Regulated	0.039	-0.176	1.058**
	(0.484)	(0.720)	(0.531)
Mine state	-0.010	-2.257**	0.175
	(0.543)	(0.947)	(0.586)
Pagulated v Mina state	0.315	1.886*	0.735
Regulated X Mine state	(0.601)	(1.015)	(0.651)
		McFadden R2	0.223
	*p<0.1	**p<0.05	***p<0.01

Dependent variable

Estimation

# Results - Share of in-state mines

$$\log\left(\frac{p_j(\mathbf{x})}{p_J(\mathbf{x})}\right) = \sum_j \beta_{0j} + \sum_j \beta_{1j} \times X_i + \sum_j \beta_{2j} \times m_i + \sum_j \beta_{3j} \times \operatorname{Reg}_i + \sum_j \beta_{4j} \times \operatorname{Reg}_i \times m_i$$

	j = retire	j=standard	j = expensive
Regulated	-0.787	-0.250	-0.218
	(0.509)	(0.762)	(0.545)
$Mine  Share  \in [0,1]$	-1.298**	-2.555**	-2.326***
	(0.660)	(1.082)	(0.744)
Regulated × Mine Share	1.884**	2.041*	3.480***
	(0.758)	(1.207)	(0.837)
		McFadden R2	0.225
	*p<0.1	**p<0.05	***p<0.01

Dependent variable

Estimation

Results - Mine Employment Back

$$\log\left(\frac{p_j(\mathbf{x})}{p_J(\mathbf{x})}\right) = \sum_j \beta_{0j} + \sum_j \beta_{1j} \times X_i + \sum_j \beta_{2j} \times m_i + \sum_j \beta_{3j} \times \operatorname{Reg}_i + \sum_j \beta_{4j} \times \operatorname{Reg}_i \times m_i$$

	Dependent variable		
	j = retire	j=standard	j = expensive
Perulated	0.221	1.207**	1.159***
Regulated	(0.341) (0.571)	(0.363)	
Miners (in Thousands, 2008)	0.542*	0.443	0.183
	(0.277)	(0.407)	(0.293)
Pagulated v Minars	0.733	-0.113	0.954**
Regulated x millers	(0.469)	(0.671)	(0.482)
		McFadden R2	0.226
	*p<0.1	**p<0.05	****p<0.01

- $\rightarrow~$  +100 miners increase expensive filter adoption relative probability by 10%.
  - This effect is only observed in regulated plants.

The Model

Estimation

# Coal Plant Closure - Empirical Specification (Back

Test the correlation between filter investment on plant closure

$$h(t) = h_0(t) \exp\left(eta_1 X_i + eta_2 \cdot \omega_{it}
ight)$$

- h(t) is the expected probability of **closing** at time t, having survived t 1.
- $-X_i$  are generator covariates: age, size and heat rate.
- $\omega_{it}$  is an indicator for generators with a filter.
- +  $\beta_2 < 0$  Plants are less likely to close after investing in a filter.

The Model

Estimation

# Coal Plant Closure - Empirical Specification (Back

Test the correlation between filter investment on plant closure

Cox Proportional-hazards model on filter investment and plant closure.
 Figure

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Institutional Context

The Model

Estimation

### Coal Plant Closure - Results (Back)

 $h(t) = h_0(t) \exp \left(\beta_1 X_i + \frac{\beta_2}{2} \cdot \omega_{it}\right)$ 



	(1)	(2)	(3)
Generator Age	0.037***	0.024***	0.021***
	(0.007)	(0.008)	(0.008)
Filter indicator		$-1.948^{***}$	-2.009***
		(0.191)	(0.196)
Coal capacity share			0.871**
			(0.424)
Observations	7,109	7,109	7,109
Pseudo R <sup>2</sup>	0.031	0.050	0.050

Estimation

Regulated Prices and Filter Investment Back to intro Back to model



Figure 25: Electricity Price and filter Investment, by state

Estimation

# The Model - Equilibrium Conditions

- 1. Regulator chooses filter  $\omega^{\ast}$  that maximizes its utility.
- 2. Filter efficiency determines the share of local coal and unit cost of coal:

$$\omega^* o 
ho(\omega^*) o \overline{m{c}}(\omega^*)$$

3. Coal plant output  $q^*$  and regulated price  $p^*$  are jointly determined:

$$- \ q^*(
ho^*|\mu) = 1 - \Phi(
ho^*|\mu)$$

– Participation constraint:  $\pi = q^*(p^*|\mu) \cdot (p^* - \overline{c}(\omega^*)) - F_{\omega^*} = 0$ 

Back

Estimation

### Comparative Statics - Filter Investment

- Regulators from non-mining states have no mining revenue to protect  $R(\omega)=0$   $\forall \omega$
- Install a filter  $\omega \in \{h, I\}$ , if:
  - 1. Filter provides more welfare than exit:  $W(\omega) \ge \Gamma_0$  and...
  - 2. Filter provides more welfare than no-filter:  $W(\omega) \ge W(0)$
  - ightarrow Choose expensive filter over standard if it increases welfare  $W(h) \geq W(l)$
- Regulators from mining states want to protect mining revenue  $R(\omega) \geq 0$ :
  - 1. Are more likely to install filter.  $W(\omega) + \alpha_1 \cdot R(\omega) \ge \Gamma_0$
  - 2. provides more welfare and local coal revenue than remaining no-filter:  $W(\omega) + lpha_1 \cdot R(\omega) \geq W(0)$
  - ightarrow Are more likely to install an expensive filter.  $W(h)+lpha_{f 1}\cdot(R(h)-R(l))\geq W(l)$

Estimation

### Comparative Statics - Filter Investment

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  - $\rightarrow$  Are more likely to install an expensive filter.  $W(h) + \alpha_1 \cdot (R(h) R(l)) \geq W(l)$

Estimation

### Comparative Statics - Plant Exit and Stranded Assets

- For a plant without filter, the regulator with some utility  $U(\omega) = W(\omega) + \alpha_1 \cdot R(\omega)$  retires it if...
  - Closing is better than remaining:  $\Gamma_0 \ge U(0)$ .
  - − Closing is better than investing:  $Γ_0 \ge U(ω)$  ∀ω.
- \* For a plant with a filter, the regulator closes it if:
  - Closing is better than remaining:  $\Gamma \geq U(\omega)$ .
- · Stranded assets: plants with filters that would have otherwise closed.

 $\Gamma_0 \geq U(0) \geq U(\omega) \geq \Gamma$ 

ightarrow Once a plant gets a filter, it **becomes less likely to close**, delaying the energy transition.

Estimation

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Institutional Context

The Model

Estimation

#### The Model - Identification Back to Estimation

• The effect of filters on welfare depends on the distance *d* between the plant and Wyoming.

$$\downarrow \omega \rightarrow \uparrow \underbrace{(1-\rho)}_{\text{low-sulfur coal}} \xrightarrow{d} \uparrow \overline{c} \rightarrow \downarrow W$$

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 The effect of filters on local mine revenue depends on plant location, mining state.

$$\begin{array}{ccc} \uparrow \omega & \to & \uparrow \rho & \stackrel{\text{mines No}}{\longrightarrow} & R = 0 \\ & \stackrel{\text{mines Yes}}{\longrightarrow} & \uparrow R \end{array}$$



Institutional Context

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Estimation

#### Estimation Algorithm Back to Estimation

1. Outer loop: Candidate structural parameters

$$\theta = (\alpha, \gamma, \phi, \sigma)$$

1.1 Obtain consumer welfare and local mine revenue for all generators *i*, at all aggregate state bins *b* and for all filter types  $\omega$ .

$$W_{ib\omega}, R_{ib\omega} \quad \forall \quad i \times b \times \omega$$

- 1.2 Inner loop. Value function iteration to obtain conditional choice probabilities  $\hat{P}_{ib\omega}$ .
- 1.3 Compute the Log Likelihood comparing conditional choice probabilities with actual choices  $P_{it}$ :

$$LL = \sum_{t} \sum_{i} log \left( \hat{P}_{ib\omega} - P_{it} \right)$$

2. New candidate structural parameters  $\theta'$  by Nelder Mead.

Estimation

# Aggregate State Space Discretization Back to Estimation

Challenge: Model the permanent fall of natural gas prices, as in Gowrisankaran et. al. (WP, 2023).

1.  $\mu_{st}$ : The average cost of natural gas electricity is obtained at state s and year t level.

2.  $\mu_{st}$  sample is discretized into b = 1, 2, ..., B equal-size bins. Two-bin example B = 2:

$$\mu^{low} = 28.03 \$ / MWh$$
  $\mu^{high} = 60.77 \$ / MWh$ 

3. Obtain transition probability matrix

$$\begin{array}{c|c} & \mu_{t-1}^{low} & \mu_{t-1}^{high} \\ \\ \mu_t^{low} & 0.71 & 0.29 \\ \mu_t^{high} & 0.17 & 0.83 \end{array}$$

Estimation

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Estimation

# Aggregate State Space Discretization, before and after MATS

	cheap gas,	expensive gas,	cheap gas,	expensive gas,
	post MATS	post MATS	pre MATS	pre MATS
cheap gas, post MATS	0.62	0.05	0.33	0.00
expensive gas, post MATS	0.17	0.44	0.17	0.22
cheap gas, pre MATS	0.00	0.00	0.53	0.48
expensive gas, pre MATS	0.00	0.00	0.15	0.85

Estimation

#### Imputation Back to Estimation

- Model estimation requires the econometrician to observe  $\{W, R\}_{ib\omega}$ .
  - − For all *i* generators, *b* aggregate state bins and  $\omega \in \{h, I, 0\}$  filter types.
- Welfare contribution

$$W_{ib\omega} = K_i \cdot q_{ib\omega} \cdot \left(\mu^b - \overline{c}_{ib\omega}\right) - f_{i\omega}$$

- $K_i$  and  $\mu^b$  are observed.
- $q_{ib\omega}$ ,  $\overline{c}_{ib\omega}$  and  $f_{i\omega}$  are imputed using event-studies.
- · Local mine revenue

$$R_{ib\omega} = K_i \cdot HR_i \cdot q_{ib\omega} \cdot \rho_{ib\omega} \cdot c^m_{ib\omega}$$

- $K_i$  and  $HR_i$  are observed.
- $q_{ib\omega}$ ,  $\rho_{ib\omega}$  and  $c^m_{i\omega}$  are imputed using event-studies.

Estimation

#### Filter Investment and Plant Closure - Sankey Diagram



Scrubber upgrade 2008–2019 Plant status 2019

Back

Estimation

#### Imputation - Dispatch

 $q_{it} = \alpha + \beta_1 \cdot \mu_{st} + \beta_2 \cdot Age_i + \beta_3 \cdot Size_i + \beta_4 \cdot HR_i + \beta_5 \cdot \omega_{it} + \beta_6 \cdot X_i + \beta_7 \cdot \omega_{it} \times X_i + \epsilon_{it}$ 

	Dependent variable: Number of active hours per year q <sub>it</sub>						
	(1)	(2)	(3)	(4)	(5)	(6)	
Intercept	6,492.710***	10,091.550***	9,872.666***	7,809.374***	10,471.750***	10,154.180***	
Natural gas cost (cent/MWh)	0.189***	0.231***	0.222***	0.154***	0.187***	0.186***	
Plant Age	$-22.569^{***}$	$-6.288^{\circ}$	-6.763**	$-49.987^{***}$	$-35.786^{***}$	$-36.522^{***}$	
Plant Size (MW)	1.778***	1.644***	1.501***	0.534***	0.643***	0.625***	
Heat Rate (Btu/KWh)	-0.054	$-0.364^{***}$	$-0.364^{***}$	-0.022	$-0.221^{***}$	$-0.218^{***}$	
Filter Indicator	-82.658	-136.703	330.408	$-115.805^{*}$	-34.753	366.443*	
Wyoming dist.		$-129.004^{***}$	$-103.052^{***}$		$-103.837^{***}$	-99.502***	
Filter $\times$ Wyoming Dist.			$-48.375^{***}$			-3.459	
Filter type	Standard	Standard	Standard	Expensive	Expensive	Expensive	
Observations	1,259	1,259	1,259	4,295	4,295	4,295	
R <sup>2</sup>	0.140	0.369	0.382	0.172	0.287	0.290	

\*p<0.1; \*\*p<0.05; \*\*\*p<0.01. Regulated plants, 2008-2019 period.

Estimation

# Imputation - Coal Bundle Cost

 $\overline{c}_{it} = \alpha + \beta_1 \cdot \omega_{it} + \beta_2 \cdot \omega_{it} \times X_i + \epsilon_{it}$ 

	Dependent variable: Coal blend unit cost $\overline{c}_{it}$						
	(1)	(2)	(3)	(4)	(5)	(6)	
Intercept	197.285***	92.918***	133.961***	261.291***	160.375***	71.488**	
Filter Indicator	5.442	14.677***	-28.859	-10.520	-9.048	89.664***	
Distance to Wyoming		8.482***	0.252		8.717***	19.506***	
Filter $ imes$ Dist. to Wyoming			8.988***			$-11.844^{***}$	
Filter type	Standard	Standard	Standard	Expensive	Expensive	Expensive	
Observations	702	684	684	1,344	1,301	1,301	
R <sup>2</sup>	0.001	0.626	0.638	0.001	0.473	0.484	
Adjusted R <sup>2</sup>	-0.001	0.623	0.632	0.001	0.471	0.480	

\*p<0.1; \*\*p<0.05; \*\*\*p<0.01. All coal plants, 2008-2019 period.

Estimation

# Imputation - Share of Local Coal

$$\rho_{it} = \alpha + \beta_1 \cdot \omega_{it} + \beta_2 \cdot \omega_{it} \times X_i + \epsilon_{it}$$

	Dependent variable: Share of Local Coal $\rho_{it}$					
	(1)	(2)	(3)	(4)	(5)	(6)
Intercept	0.163***	0.550***	0.671***	0.279***	0.428***	0.964***
Filter Indicator	0.137***	0.076*	0.088	0.234***	0.195***	$-0.471^{***}$
Distance to Closest Mine		$-0.103^{***}$	-0.163**		$-0.121^{***}$	-0.277***
Closest Mine Sulfur		$-0.122^{***}$	$-0.176^{***}$		0.0001	-0.262***
Distance $ imes$ Sulfur			0.033			0.075
Filter $ imes$ Distance			-0.034			0.283***
Filter $ imes$ Closest Sulfur		-0.050 0.353**				0.353***
$Filter \times Distance \times Sulfur$			0.039			-0.188***
Filter type	Standard	Standard	Standard	Expensive	Expensive	Expensive
Observations	443	443	443	1,144	1,144	1,144
Adjusted R <sup>2</sup>	0.017	0.174	0.200	0.022	0.156	0.232

 $^{*}p{<}0.1;\ ^{**}p{<}0.05;\ ^{***}p{<}0.01.$  All coal plants, 2008-2019 period.

Estimation

# Imputation - Filter Fixed Cost

 $F_i = \alpha + \beta_1 \cdot h_i + \beta_2 \cdot Size_i + \beta_3 \cdot h_i \times Size_i + \epsilon_{it}$ 

	Dependent variable: Filter fixed cost F <sub>i</sub>				
	(1)	(2)	(3)		
Intercept	118.398***	96.072***	54.408**		
Expensive filter	81.613***	56.137***	116.842***		
Plant size (MW)		0.030**	0.085***		
Expensive $ imes$ Plant Size			-0.067**		
Observations	219	219	219		
Adjusted R <sup>2</sup>	0.073	0.096	0.112		

p<0.1; \*\*p<0.05; \*\*\*p<0.01. All filter installations 2008-2019.

Estimation

## Model Fit Back

- 1. Take the sample of open regulated plants in 2008.
- 2. Simulate their investment and exit behavior according to the estimated parameters until 2019.
- 3. Compare 2019 simulated outcome with the actual 2019 outcome.



Figure 26: Actual and predicted capacity by the end of the period (GW).



Estimation

### Model Fit Back

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- 2. Simulate their investment and exit behavior according to the estimated parameters until 2019.
- 3. Compare 2019 simulated outcome with the actual 2019 outcome.



Figure 26: Actual and predicted capacity by the end of the period (GW).



Estimation

## Model Fit - Number of Generators



Figure 27: Actual and predicted capacity by the end of the period (number of generators).

Estimation

## Model Fit - Investment



Figure 28: Actual and predicted capacity by the end of the period (GW).

Estimation

## Model Fit - Investment



Figure 29: Actual and predicted capacity by the end of the period (number of generators).

Estimation

# Model Fit - Dynamics



Figure 30: Actual and predicted regulated coal plant capacity in the US, 2010-2019