

Fulfilled By Amazon: Platform Tying of Ancillary Services

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Roadmap

Introduction

Model

Results

Extensions and discussion

Ancillary platform services

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- ▶ Payment system for app stores.
- ▶ Customer service.
- ▶ Insurance.
- ▶ Product photography.

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Services offered to sellers, increase value of trade.

Ancillary service tying

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Rich intellectual history around tying. 3 main motives:

1. Transaction or production cost savings (e.g., operating system components);
2. Price discrimination/surplus extraction (E.g., Netflix/Spotify);
3. Leverage (e.g., MSFT/IE, Google-Android).

What we do

Broad level: new efficiency argument for tying.

Key idea:

- ▶ Ancillary service creates (vertical) differentiation between sellers that do/don't use it.
- ▶ A source of market power.
- ▶ Sellers don't internalize overall participation.
- ▶ Tying \Rightarrow less differentiation \Rightarrow less market power \Rightarrow more participation.

Questions

- ▶ When does the platform want to offer the ancillary service?
- ▶ Profitability of tying?
- ▶ Effects of a ban on tying? Of a break-up?
- ▶ Analysis of foreclosure of competing providers of ancillary services.

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- ▶ Elastic participation: outside option with uniform distribution.

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Note: because there are many markets, participation is independent of a single seller's actions.

- ▶ Sellers choose actions taking participation (Q) as given.

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- ▶ $p_1 = c + f_A + \frac{2(f_B + \Delta)}{3}$, $p_2 = c + f_A + \frac{f_B + \Delta}{3}$.
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Lemma If the service is offered without tying there is partial adoption of the ancillary service in pure strategies.

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Proposition

- ▶ The platform never offers the ancillary service as an option.
- ▶ If $k < \Delta/2$, the platform ties the core and ancillary services.
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Tying or no service ensures that downstream competition is strong, therefore Q large enough.

These alternatives are profitable *despite* inducing inefficient over/under-consumption.

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Remark: platform could “virtually” tie A and B :

- ▶ f_A large enough,
- ▶ f_B negative.

So, a simple ban on literal tying might not be enough.

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- ▶ Bad news: One seller adopts ancillary service, inducing higher prices.

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- ▶ Overall: Consumer surplus decreases.
 - ▶ Break-up is harmful even without double marginalization.

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Concern: tying might foreclose more efficient rivals.

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Should we ban tying?

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- ▶ In any case, consumer surplus goes down because of higher downstream prices.

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Extensions

Two-part tariffs

- ▶ Tying no longer profitable.
- ▶ Platform can efficiently sort consumers with unit fees and extract profit with fixed fees.

Ad valorem fees

- ▶ Give platform a reason to want high seller profit.
- ▶ Numerical analysis suggests platform still never implements 'no tying' in equilibrium and tying never harms consumers.

More than two sellers per market

- ▶ Bertrand \implies multiple equilibria.
- ▶ Competition at the low end of the market \implies lower prices \implies platform prefers 'no tying' to 'no service'.
- ▶ But tying still better for consumers.

Still needing (more) thought

- ▶ Non-uniform distributions of θ and outside option.
- ▶ Elastic seller participation.
- ▶ Alternative timing: consumers learn θ before joining platform.

Conclusion

Simple model of marketplace provision of ancillary service.

Ancillary source of vertical differentiation: increases sellers' market power.

Platform has incentives to tie ancillary and core service.

- ▶ Benefits consumers as well.

Platform break-up likely to restore sellers' market power and harm consumers.

When contracts are richer, tying less useful to fine-tune seller competition.

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- ▶ Non-Negative Pricing Constraint (Choi and Jeon, 2021).
- ▶ Network effects (Carlton and Waldman 2002, Choi and Jeon, 2021, Choi, Jeon and Whinston; 2021).